7. The first term is 1 in the geometric sequence $1, -3, 9, -27, \cdots$. What is the SEVENTH term of the geometric sequence?

A. −243

B. −30

C. 81

D. 189

E. 729

60. The sum of an infinite geometric series with first term a and common ratio r < 1 is given by $\frac{a}{1-r}$. The sum of a given infinite geometric series is 200, and the common ratio is 0.15. What is the second term of this series?

F. 25.5

G. 30

H. 169.85

J. 170

K. 199.85

58. What is the sum of the first 4 terms of the arithmetic sequence in which the 6th term is 8 and the 10th term is 13?

F. 10.5

G. 14.5

H. 18

J. 21.25

K. 39.5

59.	equally spread	es, the terms of the series are out. For example, in	Avith motic	Siem Formula
F	the first term in an aris	consecutive terms are 4 apart. If thmetic series is 3, the last term 1,390, what are the first 3 terms?	$(a, +a_n)_n$	a, 15 Team
>	/	c don't know		an fact TERM
	B. 3, 23, 43 the	wumber of	/	N= # A
	C. $3, 36\frac{1}{3}, 70$	thems	7 () 7 ()	TERMS
	D. 3, $69\frac{1}{2}$, 136 / $\frac{1}{2}$	3902 (3+136) M	136+3=13 Frelusive	20/140
	E. 3, 139, 1,251	20 = n = term.		extended 7 is
60.	y degrees and side leng	has angle measures α , β , and giths a , b , and c inches, as illus-	Tries	Differ man

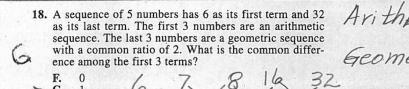
18. The first 5 terms of a geometric sequence are 0.375, GEOMETRIC Sequences

-1.5, 6, -24, and 96. What is the 6th term?

F. -384
G. -126
H. -66
J. 126
Ratio and Apply if to find Nort Torm.

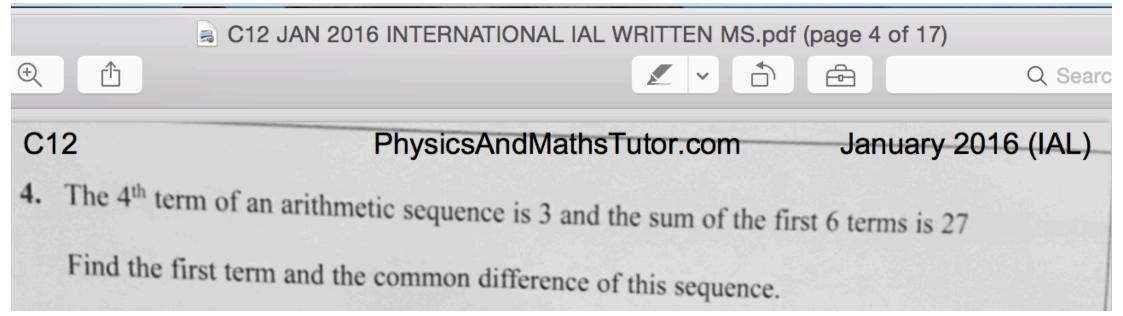
K. 384

-24
-4
-4 is lommon Ratio 96 × -4=-384



Arithyetic > Common difference
Geometric > Common Ratio

F. 0 G. 1 H. 61 J. 67 K 72



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6.

An arithmetic sequence has first term a and common difference d. The sum of the first 10 terms of the sequence is 162.

(a) Show that 10a + 45d = 162

(2)

Given also that the sixth term of the sequence is 17,

(b) write down a second equation in a and d,

(1)

(c) find the value of a and the value of d

(4)





4.	A girl saves money over a period of 200 weeks. She saves 5p in Week 1, 7p in Week 2, 9p in Week 3, and so on until Week 200. Her weekly savings form an arithmetic sequence.
	(a) Find the amount she saves in Week 200.
	(3)
	(b) Calculate her total savings over the complete 200 week period. (3)







5. A 40-year building programme for new houses began in Oldtown in the year 1951 (Year 1) and finished in 1990 (Year 40). The numbers of houses built each year form an arithmetic sequence with first term a and common difference d. Given that 2400 new houses were built in 1960 and 600 new houses were built in 1990, find (a) the value of d, **(3)** (b) the value of a, **(2)** (c) the total number of houses built in Oldtown over the 40-year period. **(3)**

